

QUBIG Phase Modulator

What is maximum intensity that can be put in QUBIG phase modulator?

What is the relationship between beam diameter, power and peak intensity,

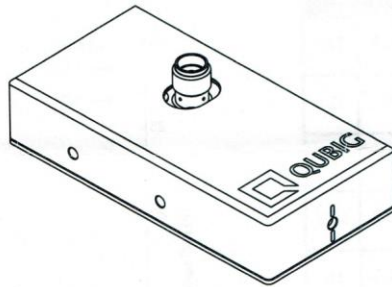
Gaussian Beam

$$E(r, z) = E_0 \hat{x} \frac{\omega_0}{\omega(z)} \exp\left(\frac{-r^2}{\omega(z)^2}\right) \exp\left(-i\left(kz + k\frac{r^2}{2R(z)} - \psi(z)\right)\right)$$
$$I(r, z) = I_0 \left(\frac{\omega_0}{\omega(z)}\right)^2 \exp\left(\frac{-r^2}{\omega(z)^2}\right)$$

Test Data Sheet

PM-Rb_6.8
S/N: M31621

Resonant electro-optic phase modulator
with
- temperature control option



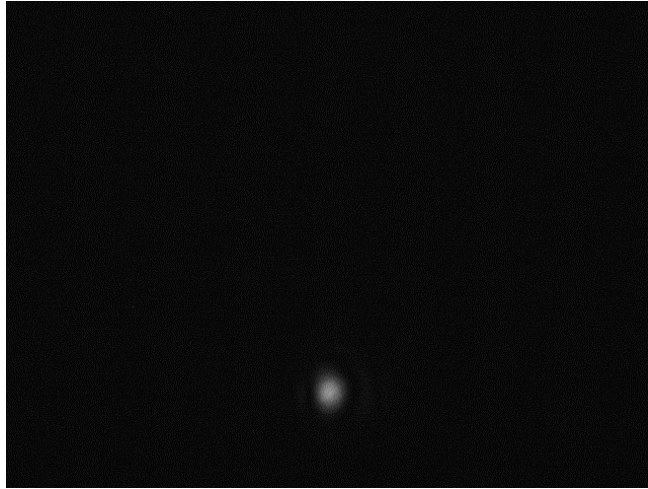
RF properties	Value	Unit
Resonance frequency: f_0 ¹⁾	6779 - 6895	MHz
Preset frequency: f_{set} ¹⁾	6835	MHz
Bandwidth: $\Delta\nu$	24.5	MHz
Quality factor Q	279	
Required RF power for 1 rad @ 780 nm	31.6	dBm
max. RF power: RF_{max} ²⁾	4	W

Optical properties		
Aperture	$\varnothing 2$	mm
Wavefront distortion (@ 633 nm)	$\lambda/4$	nm
recommended max. optical intensity (@ 780nm)	5	W/mm ²
AR coating (R < 1%)	780	nm

¹⁾ at 21.0 °C ²⁾ no damage with $RF_{in} < 10W$, but use of a proper heatsink is strongly recommended at high powers

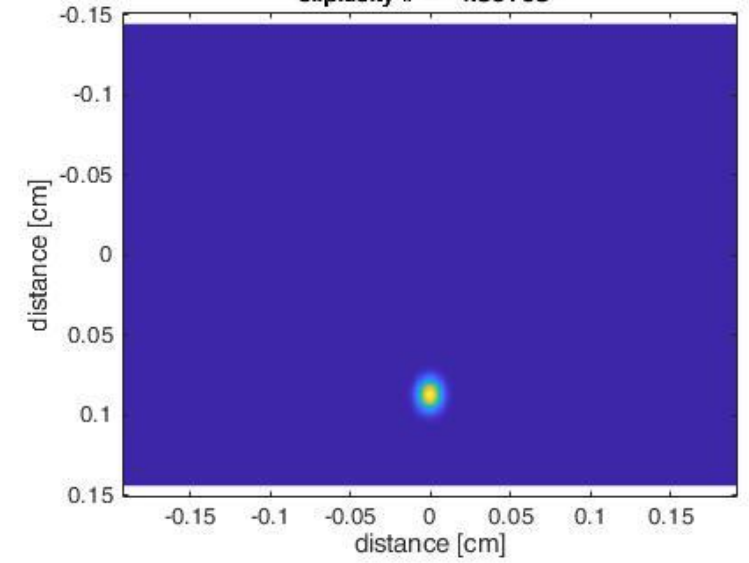
The maximum allowed intensity is 5W/mm²

Source Image

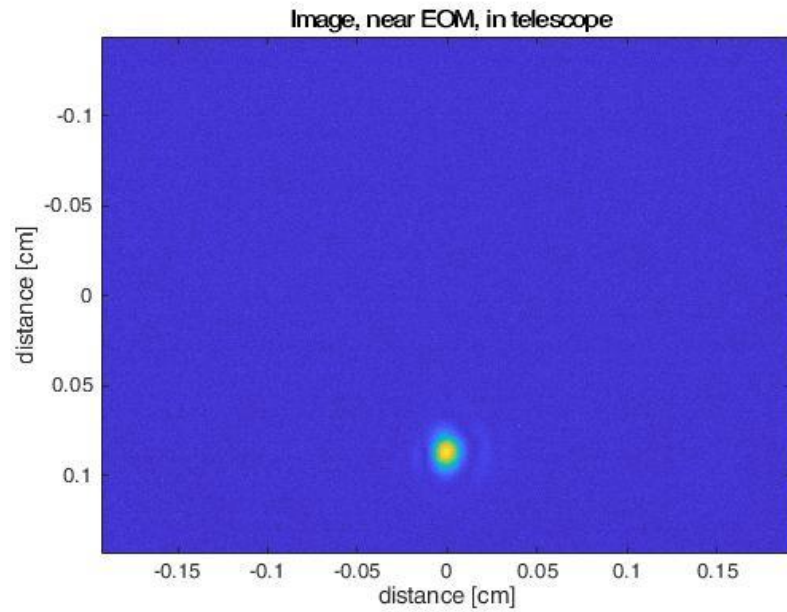


Fit in MATLAB

elliptical Gaussian Fit, near EOM, in telescope
 $x_0 = 0.087$ [cm], $\sigma_x = -0.0064$ [cm], $\omega_x = -0.013$ [cm]
 $y_0 = -0.0064$ [cm], $\sigma_y = -0.0051$ [cm], $\omega_y = -0.01$ [cm]
ellipticity $\theta = -4.3e+03^\circ$



Source Image in MATLAB



The waist dimensions are

$$\omega_x = 0.13\text{mm}$$

$$\omega_y = 0.1\text{mm}$$

Peak Intensity

$$I(0, z) = \frac{2P_0}{\pi\omega(z)^2}$$

$$I(0, z) = \frac{2P_0}{\pi\omega(z)^2}$$

$$P_0 = \frac{\pi}{2} \times 5 \times 0.1 \times 0.13$$

$$P_0 = 0.1W = 100mW$$

OLD

Given that the maximum peak intensity, I_0 , allowed is $1\text{W}/\text{mm}^2$ ($100\text{W}/\text{cm}^2$)

So for $P_0 = 100\text{mW}$, the waist will be

$$I(0,0) = \frac{2P_0}{\pi\omega(0)^2}$$
$$\omega(0)^2 = \frac{2 \times 100}{\pi \times 200} = \frac{1}{\pi}$$
$$\omega(0) = 0.564\text{cm}$$

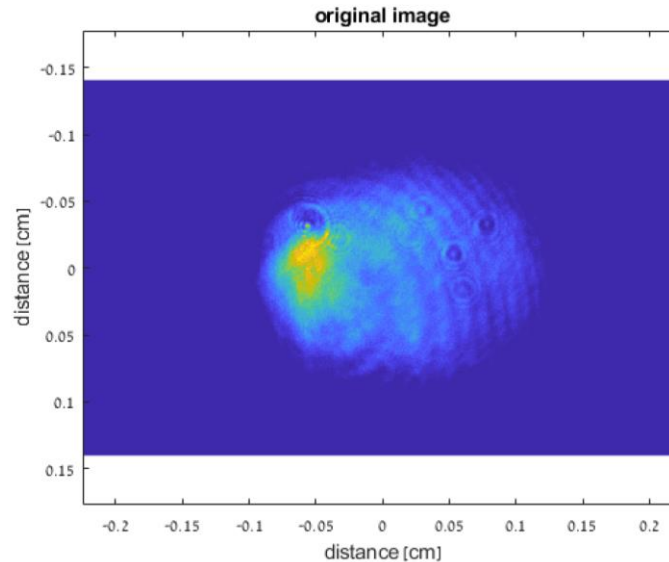


$$\omega(0) = 0.00564\text{cm}$$

Connection between waist and sigma?

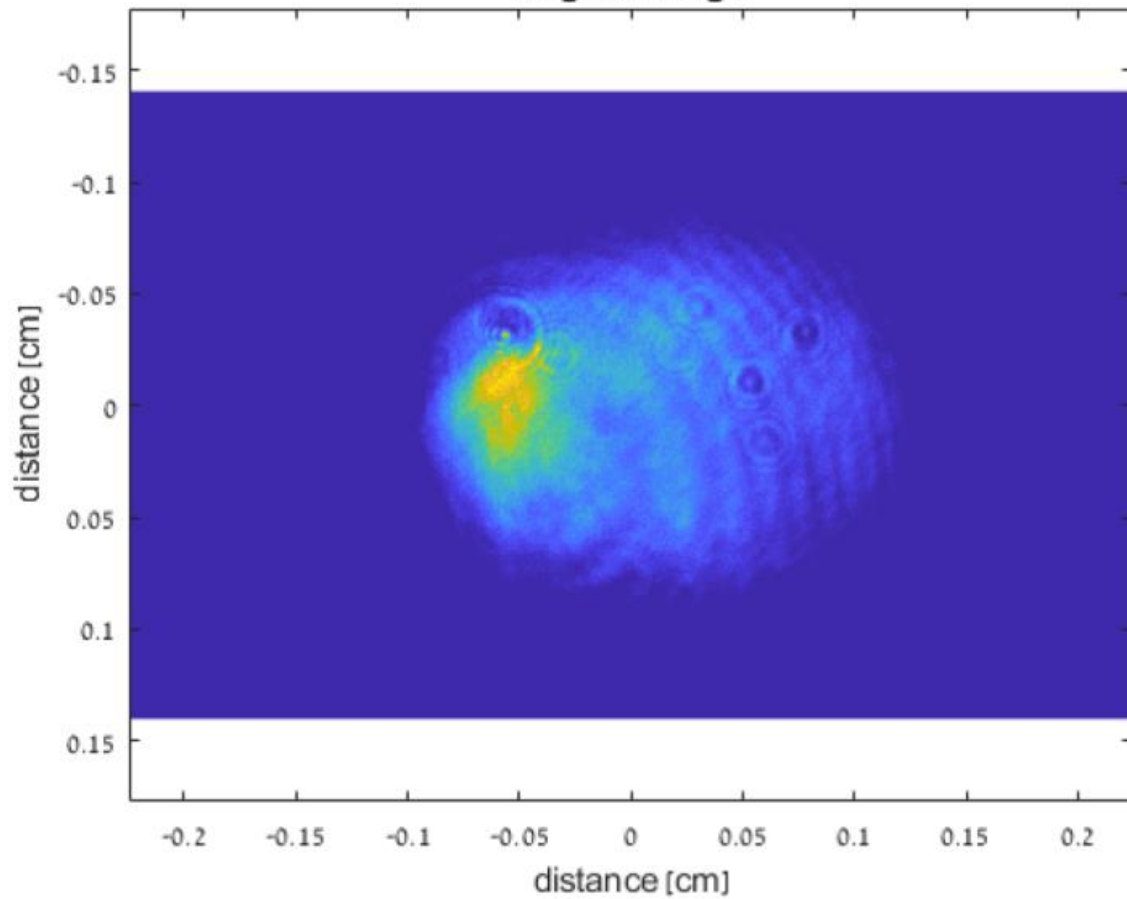
$$I(r) = I_0 e^{-2r^2/\omega^2} = I_0 e^{-r^2/2\sigma^2} \rightarrow \omega = 2\sigma$$

What waist do you have?



OLD

original image

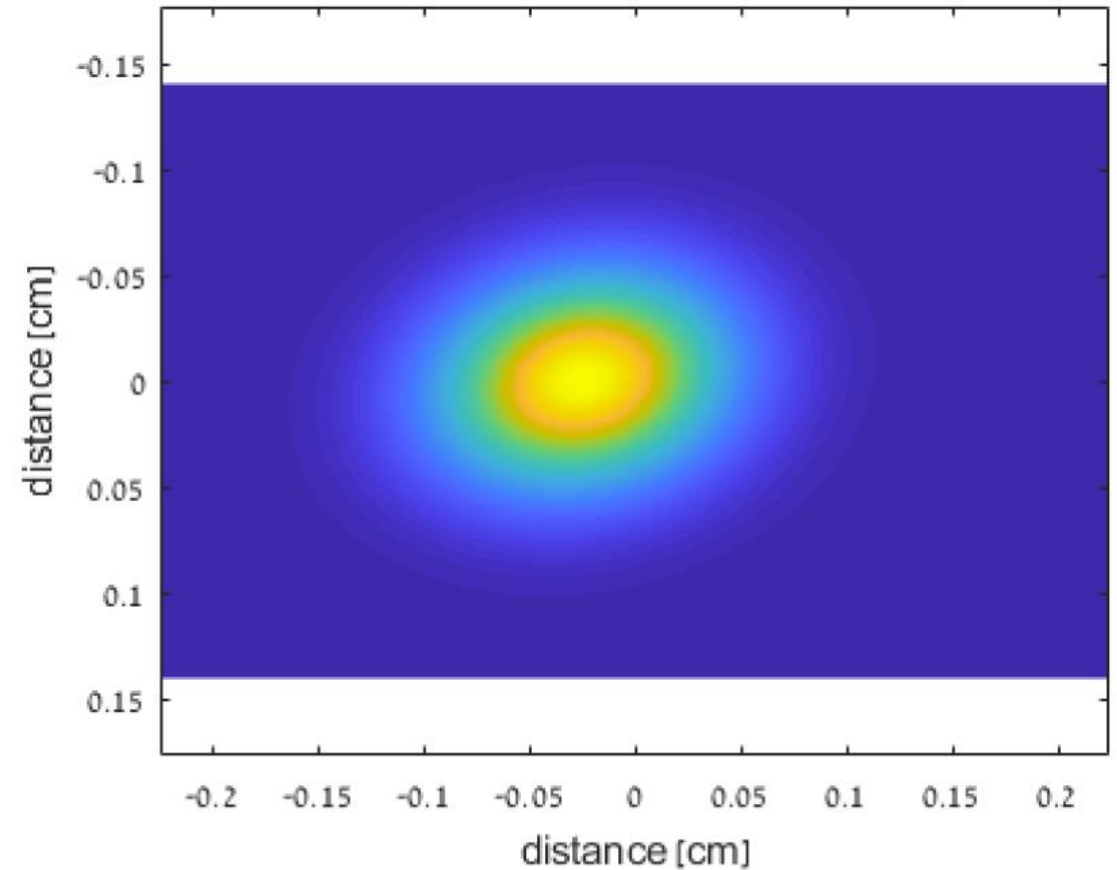


elliptical Gaussian Fit

$$x_0 = -0.00065 \text{ [cm]}, \sigma_x = 0.035 \text{ [cm]}, \omega_x = 0.069 \text{ [cm]}$$

$$y_0 = 0.035 \text{ [cm]}, \sigma_y = 0.049 \text{ [cm]}, \omega_y = 0.097 \text{ [cm]}$$

ellipticity $\theta = -11^\circ$



Focusing

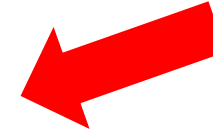
OLD

For a lens:

$$\omega_1 = \frac{\lambda f}{\pi \omega_0}$$



$$\frac{\pi \omega_1 \omega_0}{\lambda} < f$$



Switch for larger number 0.097

$$\frac{\pi \times 0.564 \times 0.069}{795 \times 10^{-7}} < f$$

Working in **cm**

$$1540 \text{ cm} < f$$



$$21.60 \text{ cm} < f$$

Corrected

Conclusion – OOPS – I need to expand the beam – check calculation.

With 20cm telescope what will waist be?.

$$\omega_1 = \frac{795 \times 10^{-7} \times 30}{\pi \times 0.0069}$$